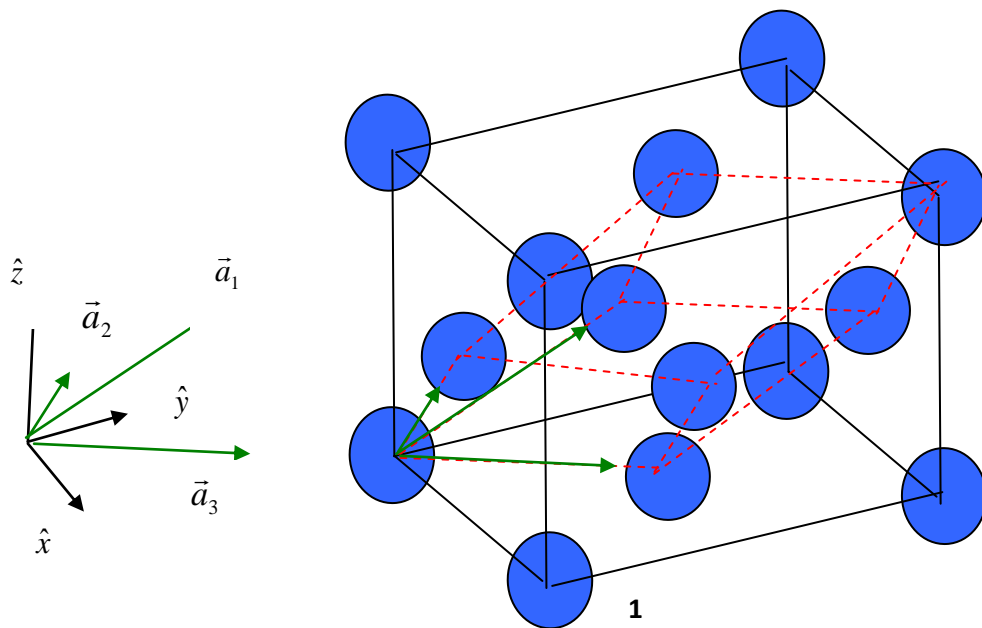


## Work Sheet # 2

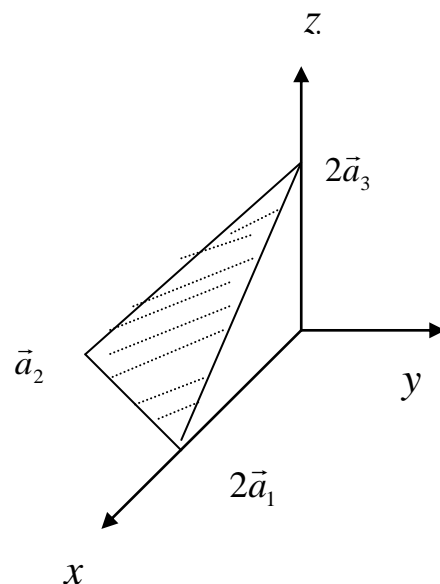
- The packing fraction is a number used to indicate how tightly atoms are packed in a given structure. Find the packing fraction for a simple cubic, body-centered cubic, and face-centered cubic lattices. [Answer: 52%, 68% and 74%, respectively.]
- Find the edge of primitive cell and its corresponding volume of the following structures
  - Bcc
  - Fcc
- If a set of primitive vectors for face-centered-cubic (fcc) lattice is given by:  $\vec{a}_1 = \frac{a}{2}(\hat{y} + \hat{z})$ ,  $\vec{a}_2 = \frac{a}{2}(\hat{x} + \hat{z})$  and  $\vec{a}_3 = \frac{a}{2}(\hat{y} + \hat{x})$ , as shown in the figure, together with Cartesian axes. Find the position  $\vec{R}$  of lattice point 1 in terms of the primitive vectors.



- A set of primitive lattice vectors for a body-centered cubic (bcc) Bravais lattice is given by  $\vec{a}_1 = \frac{a}{2}(\hat{y} + \hat{z} - \hat{x})$ ,  $\vec{a}_2 = \frac{a}{2}(\hat{z} + \hat{x} - \hat{y})$  and  $\vec{a}_3 = \frac{a}{2}(\hat{y} + \hat{x} - \hat{z})$ . Show that such a choice of primitive vectors can entirely describe the bcc structure lattice.

The followings are MCQ's. Please choose the correct answer:

5. Which of the following statements is correct for the Bravais lattice:
- a. The three primitive vectors that form the Bravais lattice must be perpendicular to each other.
  - b. All lattice points (or lattice sites) and the corresponding atoms are not necessarily equivalent and of the same kind.
  - c. It is a typical two dimensional lattice that can be generated by any two vectors.
  - d. Bravais lattice is an infinite array of discrete points with an arrangement and orientation that appear the same no matter from which orientation you look at it.
  - e. Bravais lattice is a periodic structure of points that can be constructed by stacking layers of atoms and does not need any kind of vectors to generate it.
6. The notation that refers to a family of six equivalent planes in a cubic lattice is
- a.  $\langle 100 \rangle$       b.  $\{100\}$       c.  $(100)$       d.  $[100]$       e.  $\pm x, \pm y, \pm z$
7. A plane, in a cubic lattice, together with its intercept values are shown in the figure. The Miller indices  $(h k l)$  of the plane are
- a.  $(202)$       b.  $(2\bar{1}2)$       c.  $(1\bar{2}1)$       d.  $(2\bar{2}1)$       e.  $(1\bar{2}2)$



8. The first nearest neighbor distance ( in terms of the lattice constant  $a$  ) for the face-centered-cubic (fcc) structure is *equal to*

a.  $a$                       b.  $\frac{1}{\sqrt{2}}a$                       c.  $\frac{\sqrt{3}}{4}a$                       d.  $\sqrt{2}a$                       e.  $\frac{a}{2}$

9. Hexagonal-closed packed and face-centered cubic structures are considered as the most highly dense crystalline structures because
- they have stacking layers in their building.
  - they have the largest coordination numbers and packing fraction values.
  - they have the largest atoms in their structures.
  - they have the smallest atoms in their structures.
  - the bonds between atoms are very tight and short.
10. Which of the following statements is correct?
- In most cases, positions and directions are indexed in terms of primitive rather than conventional lattice vectors, while planes are indexed in terms of conventional lattice vectors.
  - In most cases positions, directions and planes of crystals are indexed in terms of primitive rather than conventional lattice vectors.
  - In most cases positions, directions and planes of cubic crystal structures are indexed in terms of conventional rather than primitive lattice vectors.
  - In most cases, planes and directions are indexed in terms of primitive rather than conventional lattice vectors, while positions are indexed in terms of conventional lattice vectors.
  - In most cases positions, directions and planes of crystals are neither indexed in terms of conventional nor indexed in terms of primitive lattice vectors.