

General

Physics 101

Motion in One Dimension

Prepared By

Prof. Rashad Badran



By Prof. Rashad Badran

One Dimensional Motion: ☹️ Kinematics

By Prof. Rashad Badran

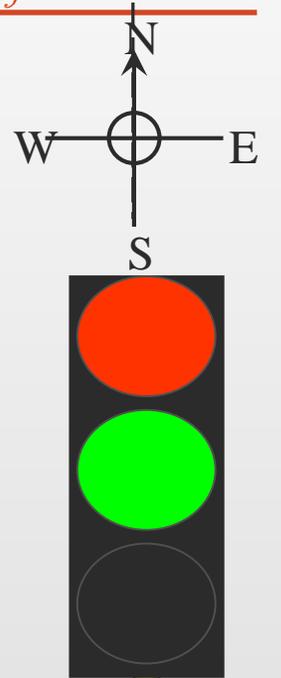
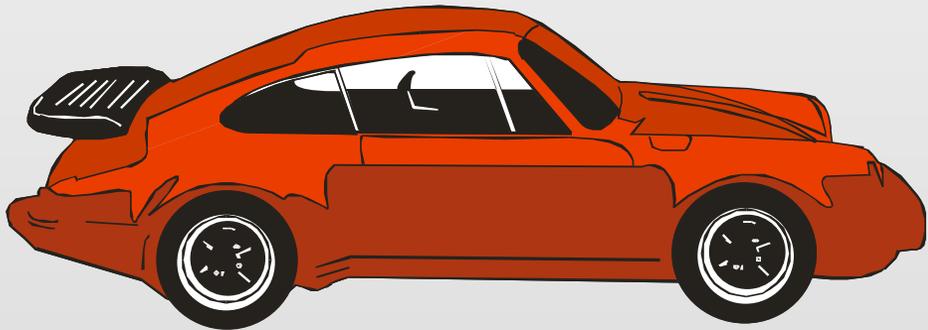
MOTION ALONG A STRAIGHT LINE

The state of motion of a particle can be described by the ,
position, velocity, and acceleration which are all dependent
on time

One Dimensional Motion:

By Prof. Rashad Badran

Position of an Object

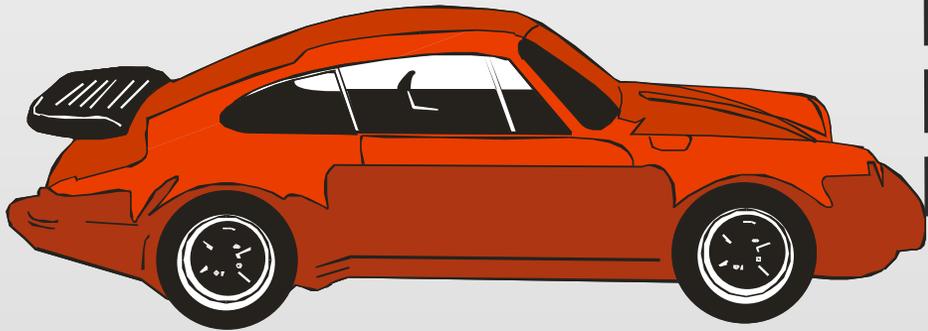


What is the position of the car with respect to the traffic light?

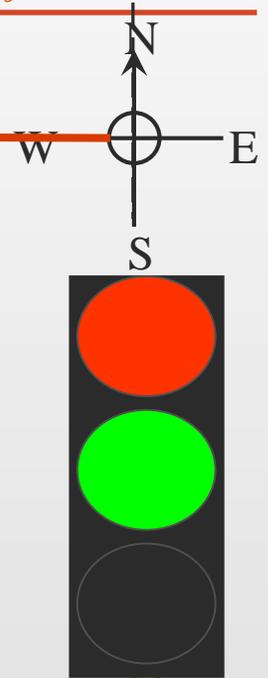
One Dimensional Motion:

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Position of an Object



$$\vec{r} = -x\hat{i}$$

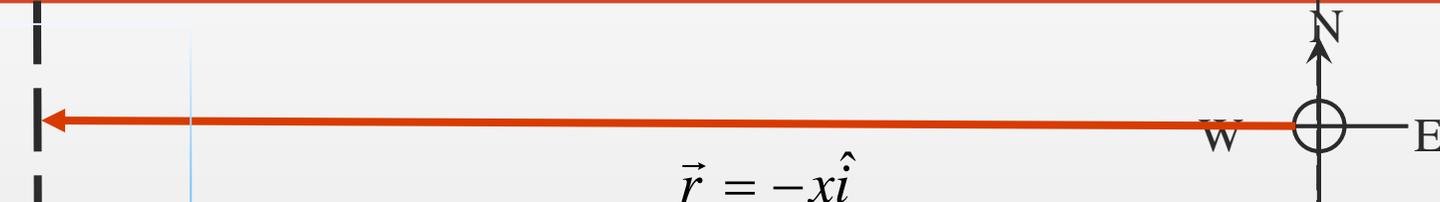


The position of the car is at a distance x to the west of the traffic light

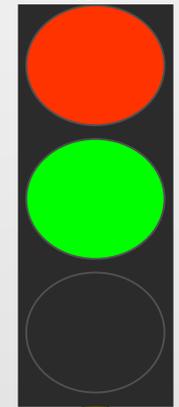
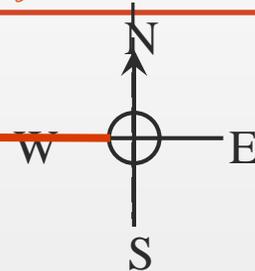
One Dimensional Motion:

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An object (car) can be idealized as a particle



$$\vec{r} = -x\hat{i}$$



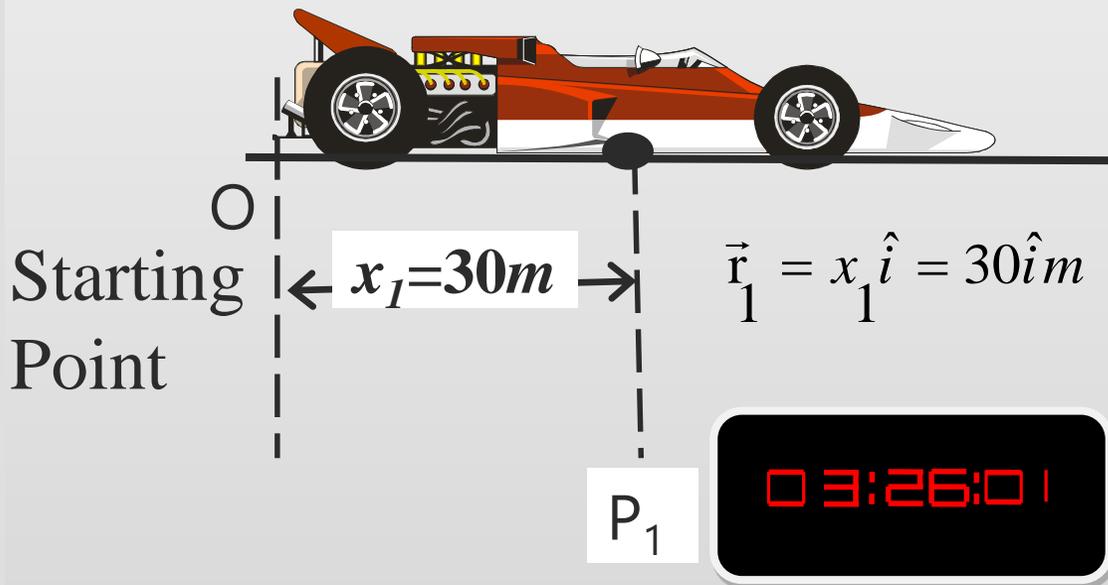
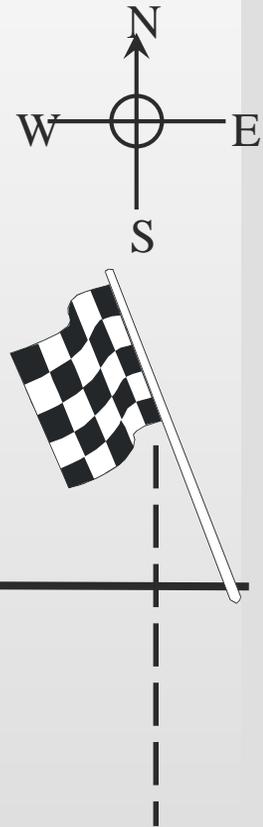
The position of the particle is at a distance x to the west of the traffic light

One Dimensional Motion:

By Prof. Rashad Badran

Displacement of a Particle: Vector quantity

After 1 second the particle (race car) was at point P_1 ($30m$ from the starting point)

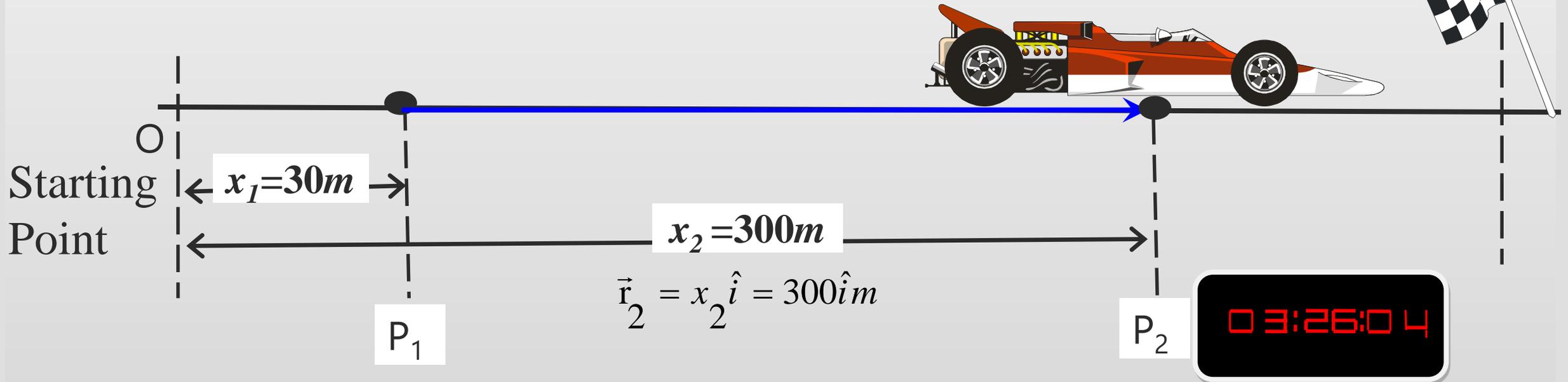


One Dimensional Motion:

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Displacement of a Particle

After 4 seconds the particle (race car) passed point P_2 (300 m from the starting point)

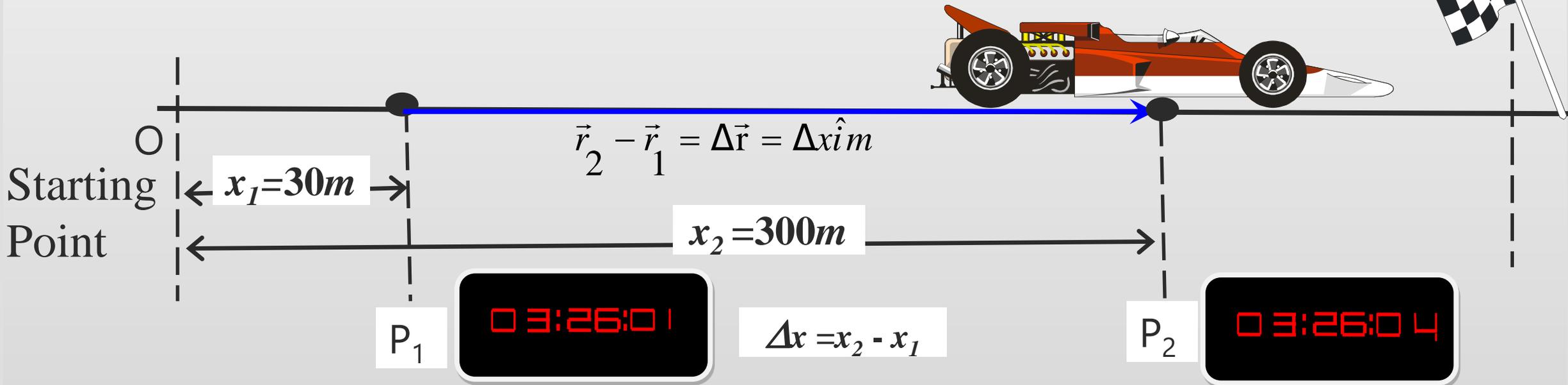
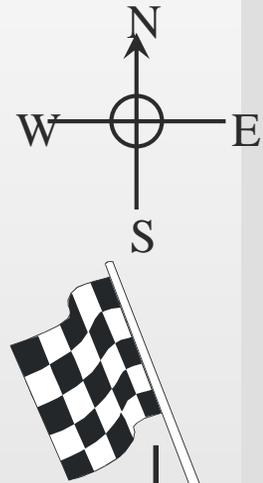


One Dimensional Motion:

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Displacement of a Particle: Change in Position

At Initial time $t_1 = 1$ second the particle (race car) was at point P_1 and at a final time $t_2 = 4$ seconds the particle (race car) passed point P_2 (300 m from the starting point)



One Dimensional Motion:

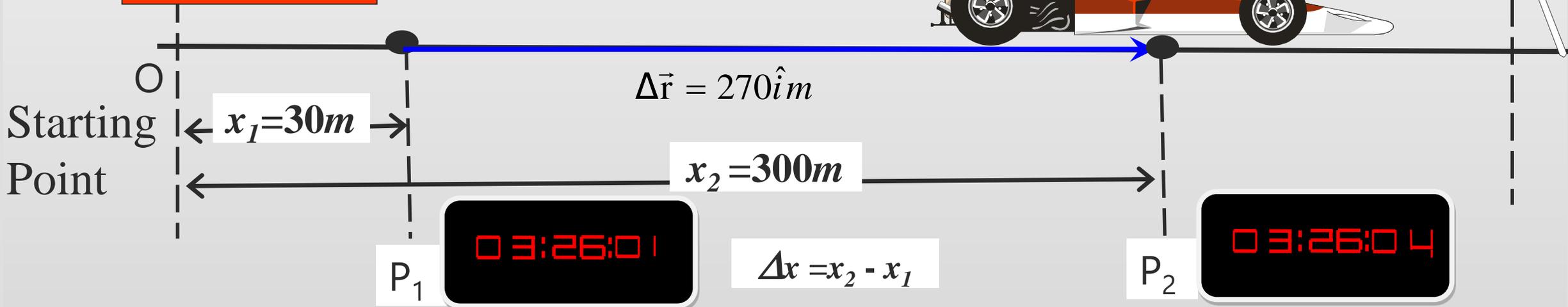
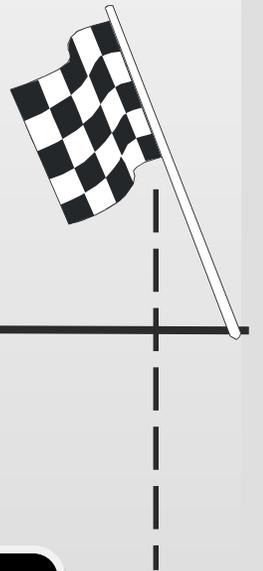
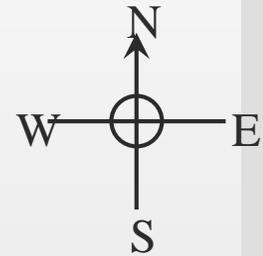
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Displacement of a Particle

$$\begin{aligned}\text{Displacement} &= \Delta x = x_2 - x_1 \\ &= 300 \text{ m} - 30 \text{ m} = 270 \text{ m} \\ & \quad (+\hat{i}) \text{ or due to east}\end{aligned}$$

magnitude

direction



Note: The magnitude of displacement is called distance

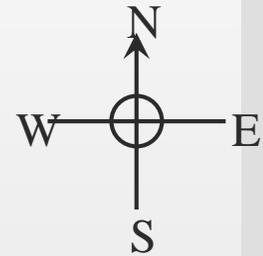
One Dimensional Motion:

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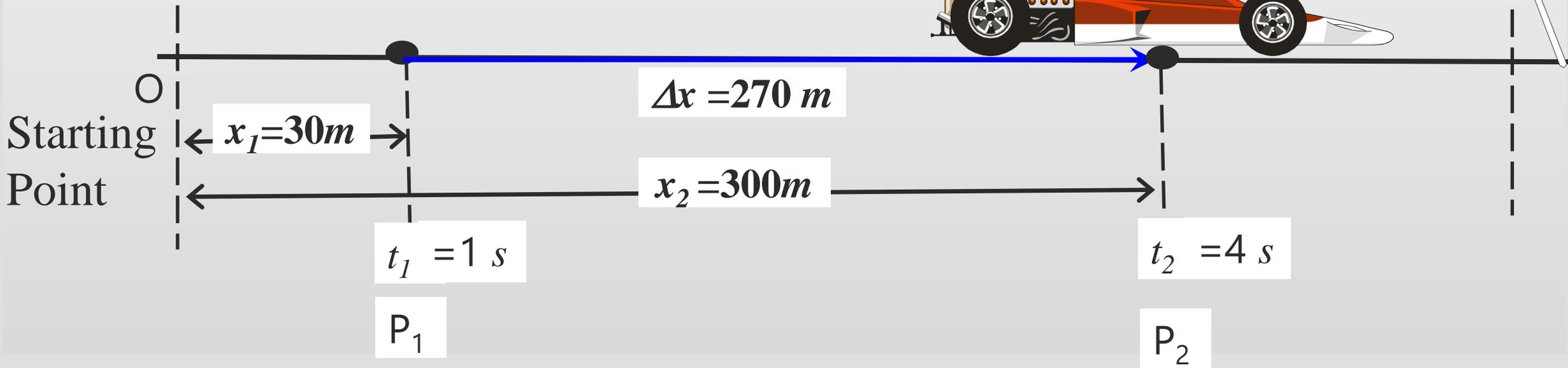
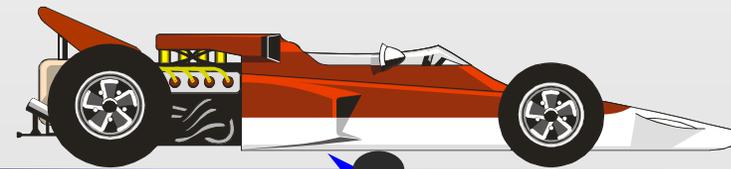
Average Velocity of a Particle $\vec{v}_{avg.} =$

$$\frac{\text{Displacement}}{\text{Time Interval}}$$

$$\vec{v}_{avg.} = \frac{\Delta \vec{r}}{\Delta t} = \frac{\Delta x \hat{i}}{\Delta t}$$



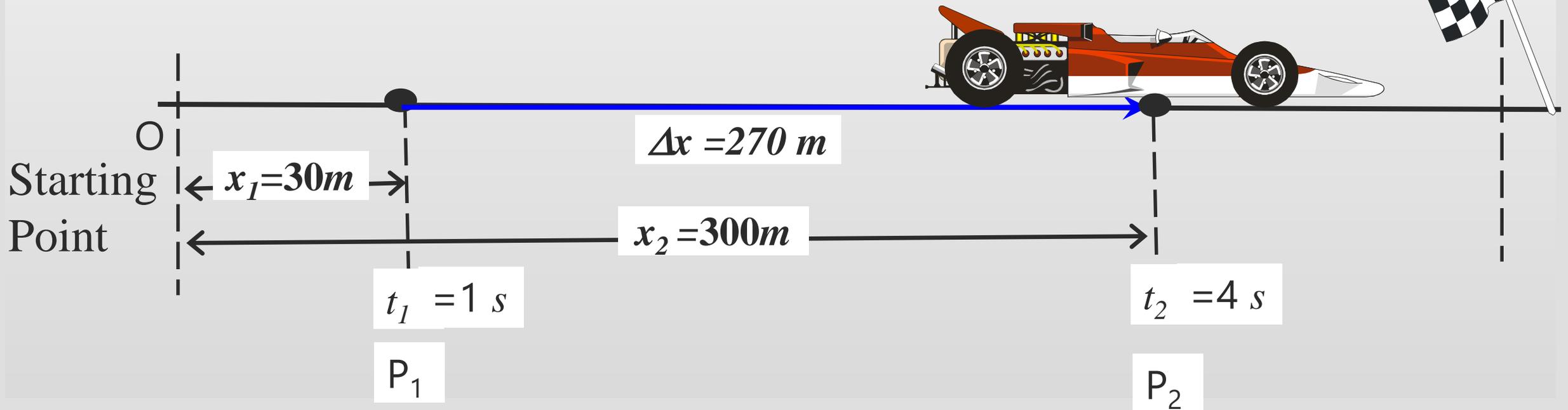
Time Interval = $\Delta t = t_2 - t_1 = 4 \text{ s} - 1 \text{ s} = 3 \text{ s}$



One Dimensional Motion:

Average Velocity of a Particle $\vec{v}_{avg.} = \frac{270\hat{i}m}{3s} = 90\hat{i} m/s$

Average velocity is a vector quantity which has a **magnitude** of $90 m/s$ and **direction** due east (or towards $+ve x$ -axis)

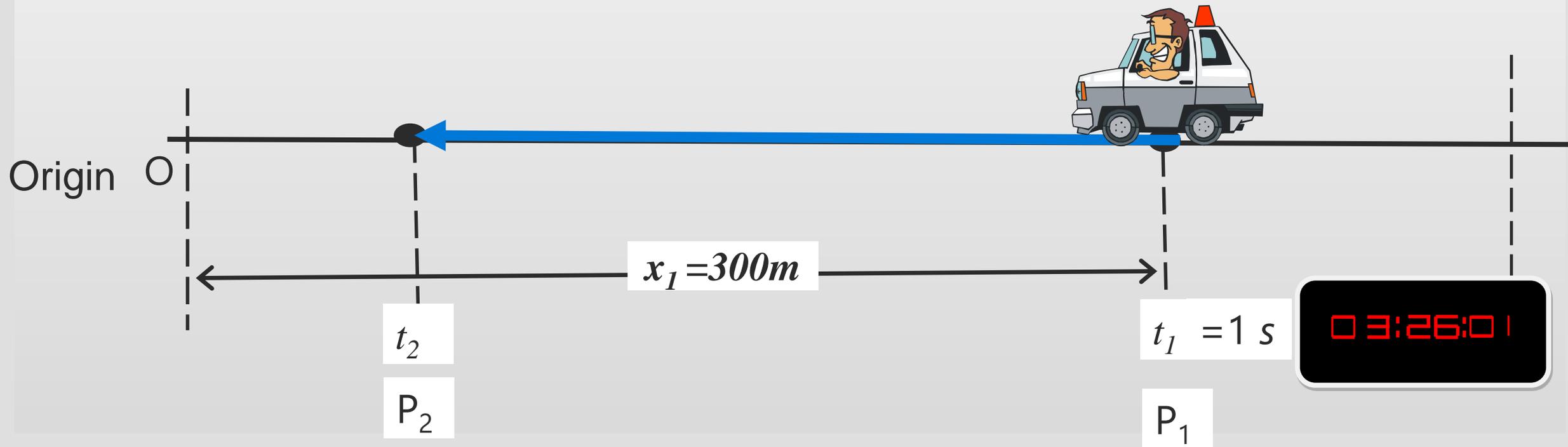
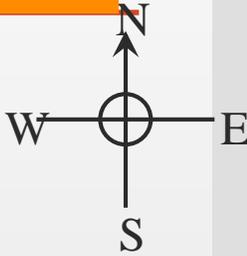


One Dimensional Motion:

Example

Average Velocity of a Particle

A service car was at point P_1 which is located 300 m from the shown origin after one second of its motion it passed point P_2 which is 30 m far away from the same origin at time 4 seconds of its motion. What is its average velocity?

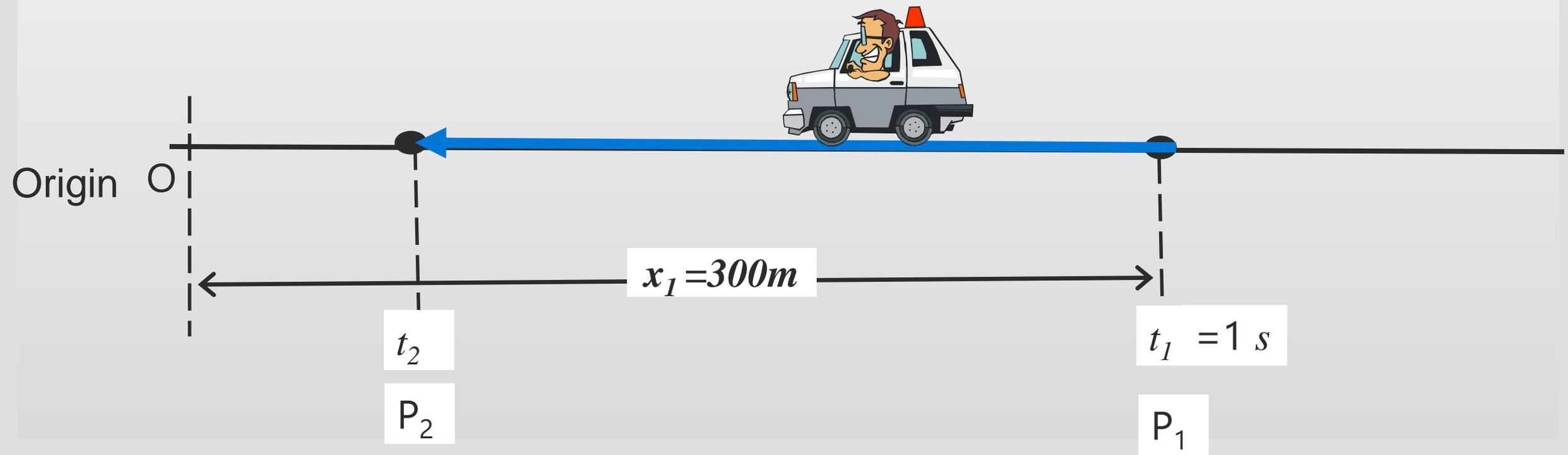
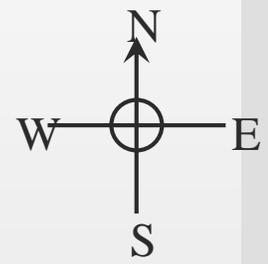


One Dimensional Motion:

Solution:

Average Velocity of a Particle

$$\vec{v}_{avg.} = \frac{\Delta \vec{r}}{\Delta t} \quad m/s$$



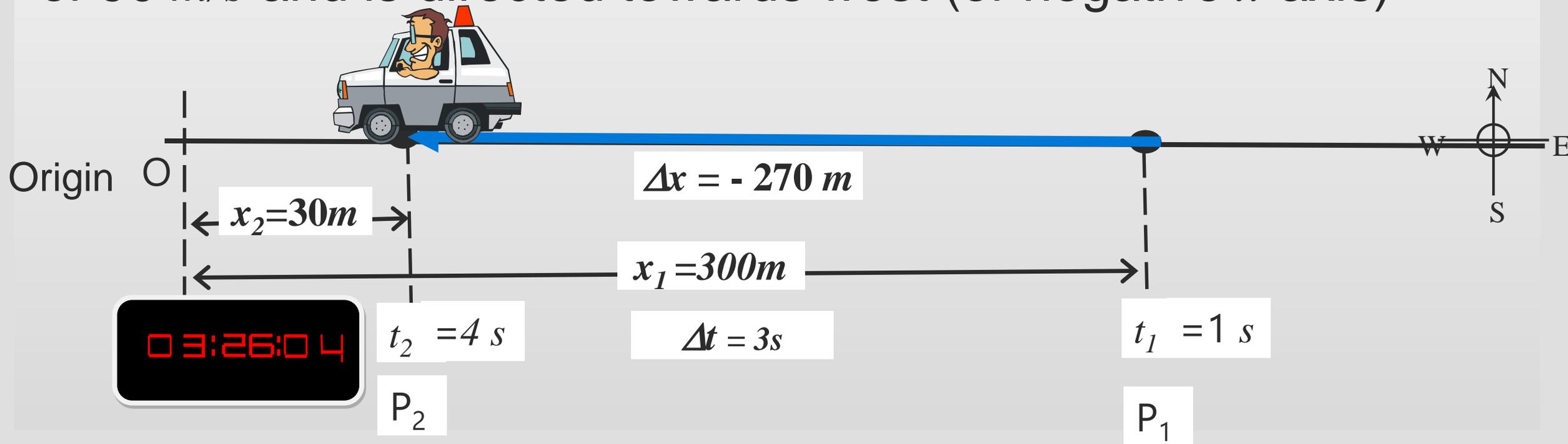
One Dimensional Motion:

Solution:

$$\Delta x = x_2 - x_1 = 30 \text{ m} - 300 \text{ m} = -270 \text{ m} \quad \Rightarrow \quad \vec{v}_{avg.} = \frac{\Delta x \hat{i}}{\Delta t} = \frac{-270 \hat{i} \text{ m}}{3 \text{ s}} = -90 \hat{i} \text{ m/s}$$

$$\Delta t = t_2 - t_1 = 3 \text{ s}$$

This result means that the average velocity has a magnitude of 90 m/s and is directed towards west (or negative x -axis)



Distance and Average Speed: From Irbid to Amman

Average Speed = Total Distance / Total time

Driving Distance (**orange path**) = 92km. But driving distance via Al Mafraq (**blue path**) = 111km

Direct flying Distance (by plane) = 67km = The shortest distance between Amman and Irbid is the straight line (**dark path**) which is the magnitude of displacement.

Average Speed = 67km / 0.2h for the dark path with time of trip equals 0.2h.





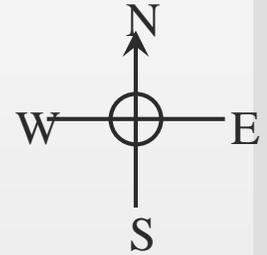
Finding Average Velocity

Position of a car at different times

Position	t (s)	x (m)
A	0	30

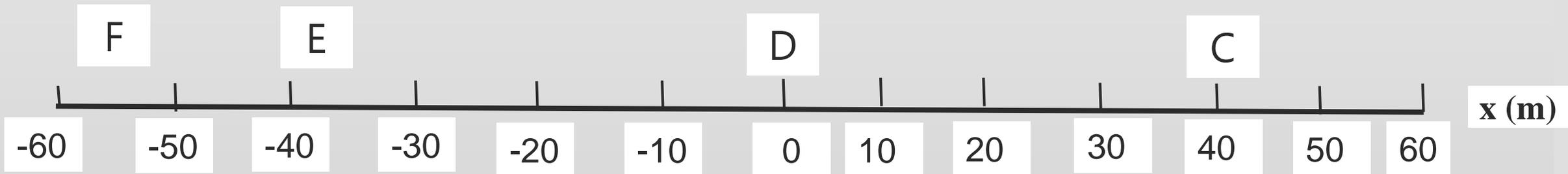
Example

The car moves to the east from position A to B



$t_A = 0$
A

B



Finding Average Velocity

Position of a car at different times

Position	t (s)	x (m)
A	0	30
B	10	52

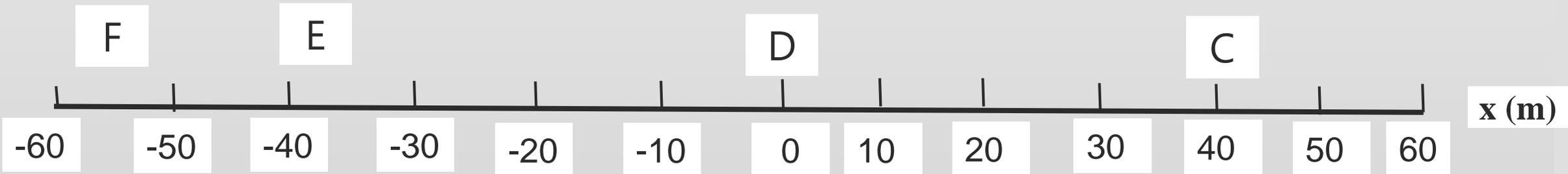
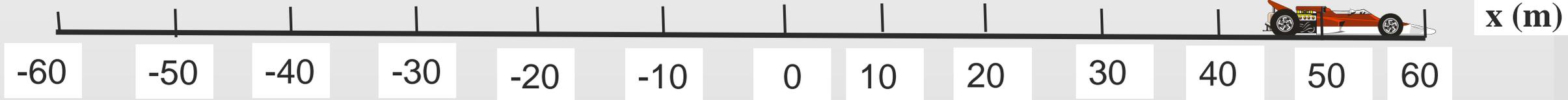
Example

The car moves to the east from position A to B



$t_A = 0$
A

$t_B = 10 \text{ s}$
B

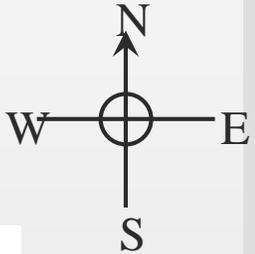


Finding Average Velocity

Example

Position of a car at different times

Position	t (s)	x (m)
A	0	30
B	10	52
C	20	38

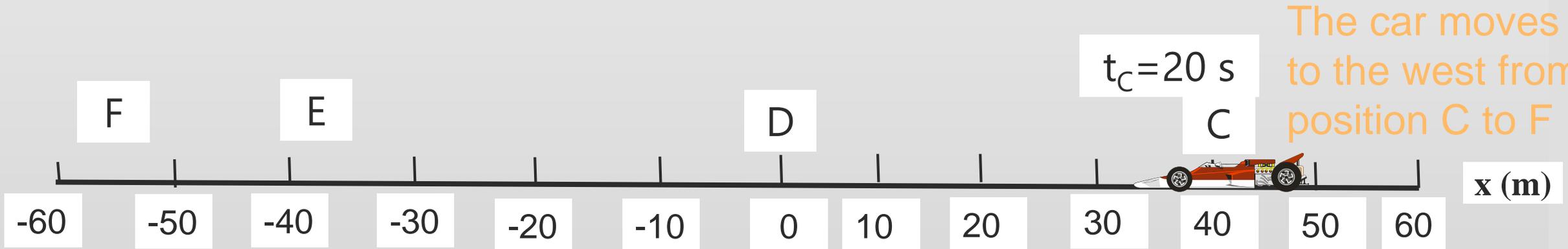
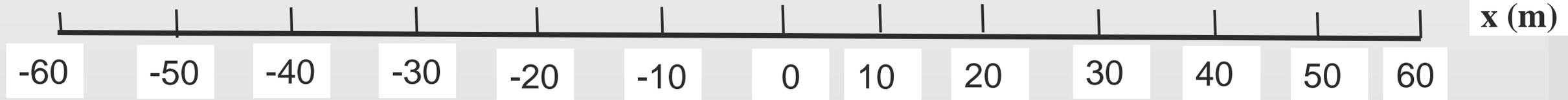


$t_A = 0$

$t_B = 10$ s

A

B



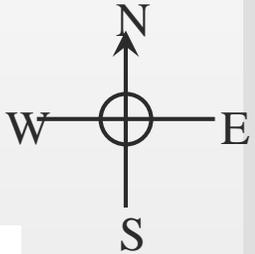
The car moves to the west from position C to F

Finding Average Velocity

Example

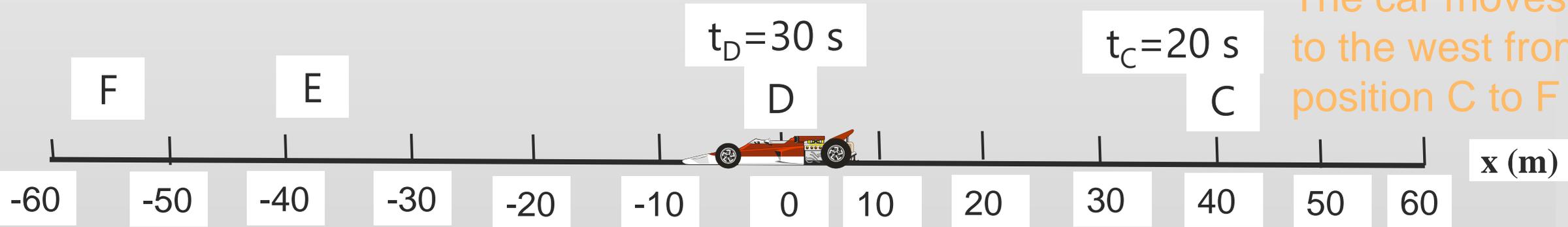
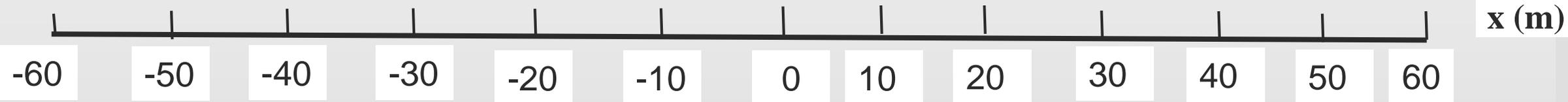
Position of a car at different times

Position	t (s)	x (m)
A	0	30
B	10	52
C	20	38
D	30	0



$t_A = 0$
A

$t_B = 10$ s
B



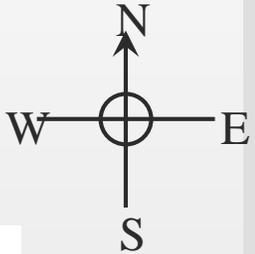
The car moves to the west from position C to F

Finding Average Velocity

Example

Position of a car at different times

Position	t (s)	x (m)
A	0	30
B	10	52
C	20	38
D	30	0
E	40	-37

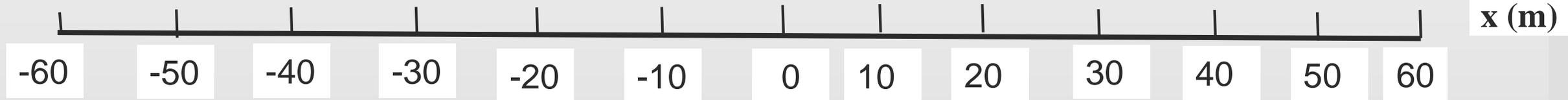


$t_A = 0$

$t_B = 10$ s

A

B



$t_E = 40$ s

$t_D = 30$ s

$t_C = 20$ s

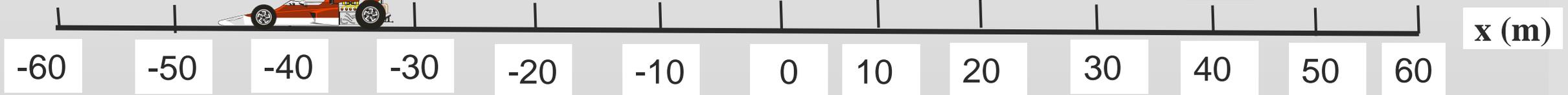
The car moves to the west from position C to F

F

E

D

C

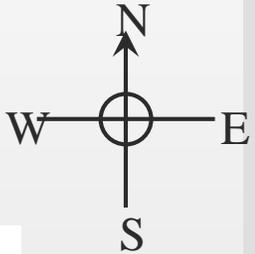


Finding Average Velocity

Example

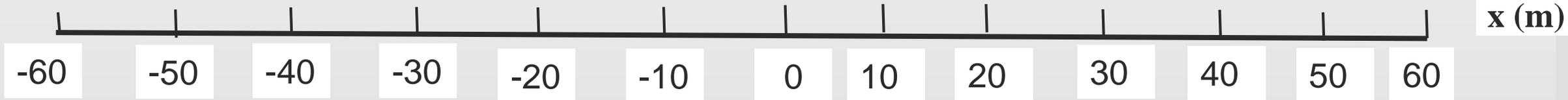
Position of a car at different times

Position	t (s)	x (m)
A	0	30
B	10	52
C	20	38
D	30	0
E	40	-37
F	50	-53



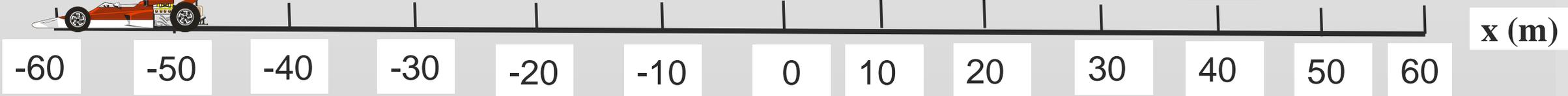
$t_A = 0$
A

$t_B = 10$ s
B



$t_F = 50$ s $t_E = 40$ s $t_D = 30$ s $t_C = 20$ s
F E D C

The car moves to the west from position C to F



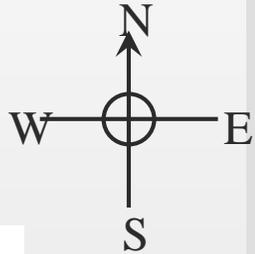
Finding Average Velocity

Position of a car at different times

Position	t (s)	x (m)
A	0	30
B	10	52
C	20	38
D	30	0
E	40	-37
F	50	-53

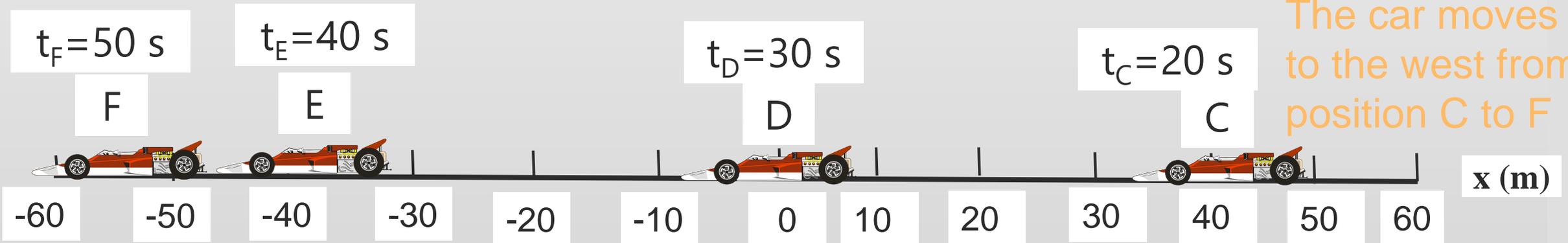
Example

The car moves to the east from position A to B



$t_A = 0$
A

$t_B = 10$ s
B



The car moves to the west from position C to F

$t_F = 50$ s
F

$t_E = 40$ s
E

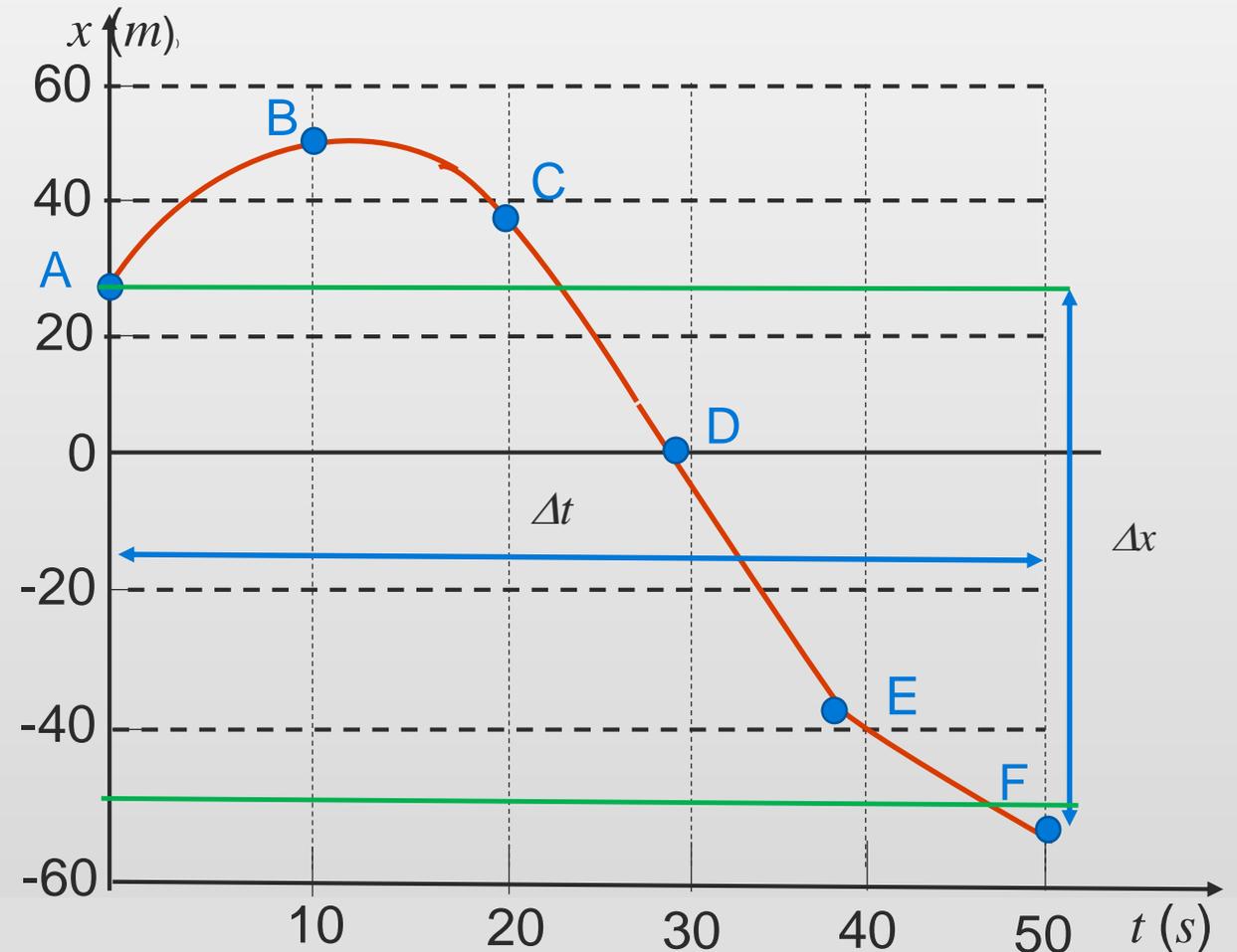
$t_D = 30$ s
D

$t_C = 20$ s
C

Finding Average Velocity

- (a) Find the displacement between positions A and F.
 (b) Find the average velocity between positions A and F.

Position	t (s)	x (m)
A	0	30
B	10	52
C	20	38
D	30	0
E	40	-37
F	50	-53



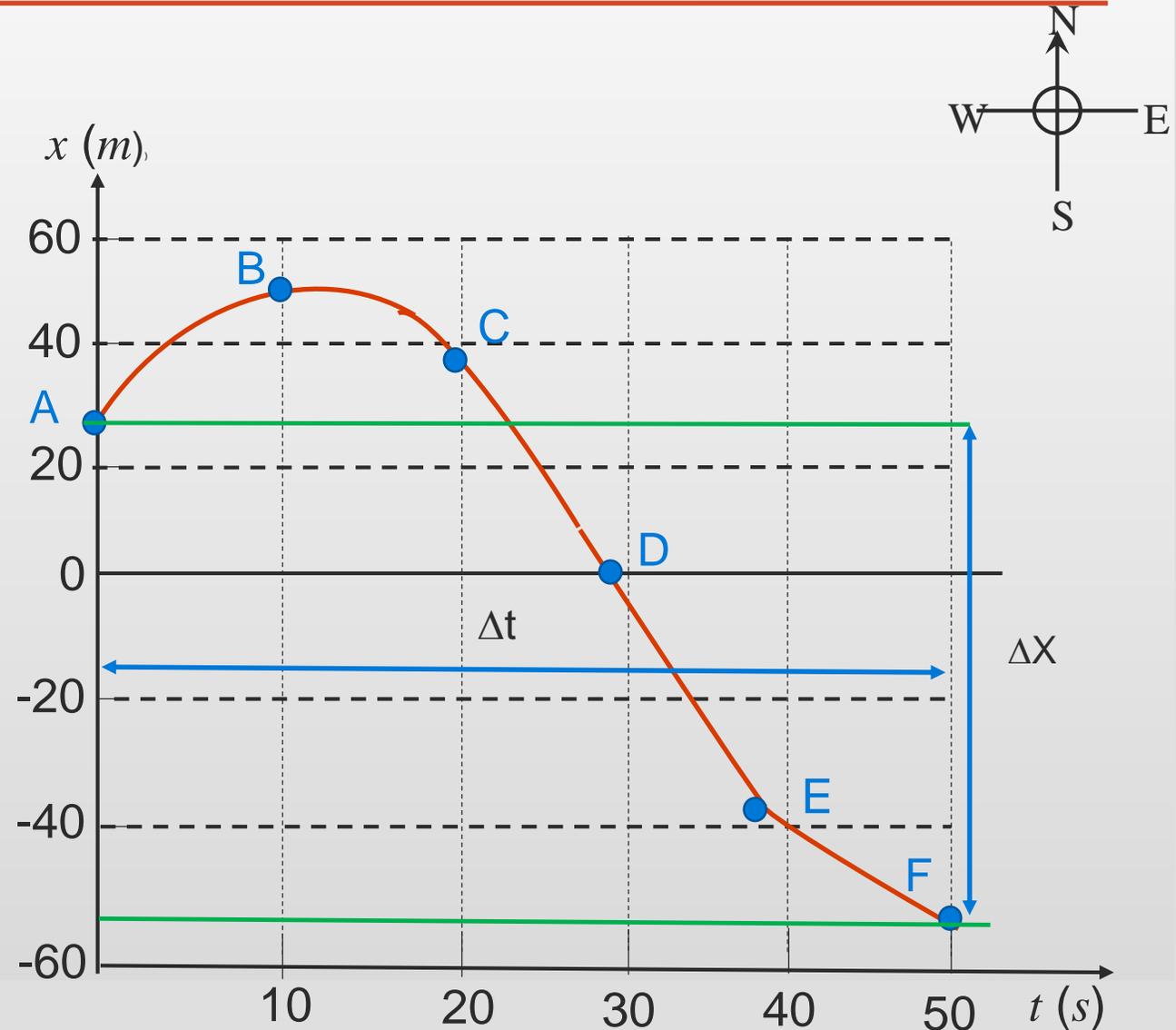
Finding Displacement

Solution:

(a) $\Delta x = x_F - x_A = -53 - 30 = -83 \text{ m}$

i.e. Magnitude of displacement is 83 m and its direction is due west

Position	t (s)	x (m)
A	0	30
B	10	52
C	20	38
D	30	0
E	40	-37
F	50	-53



Finding Average Velocity

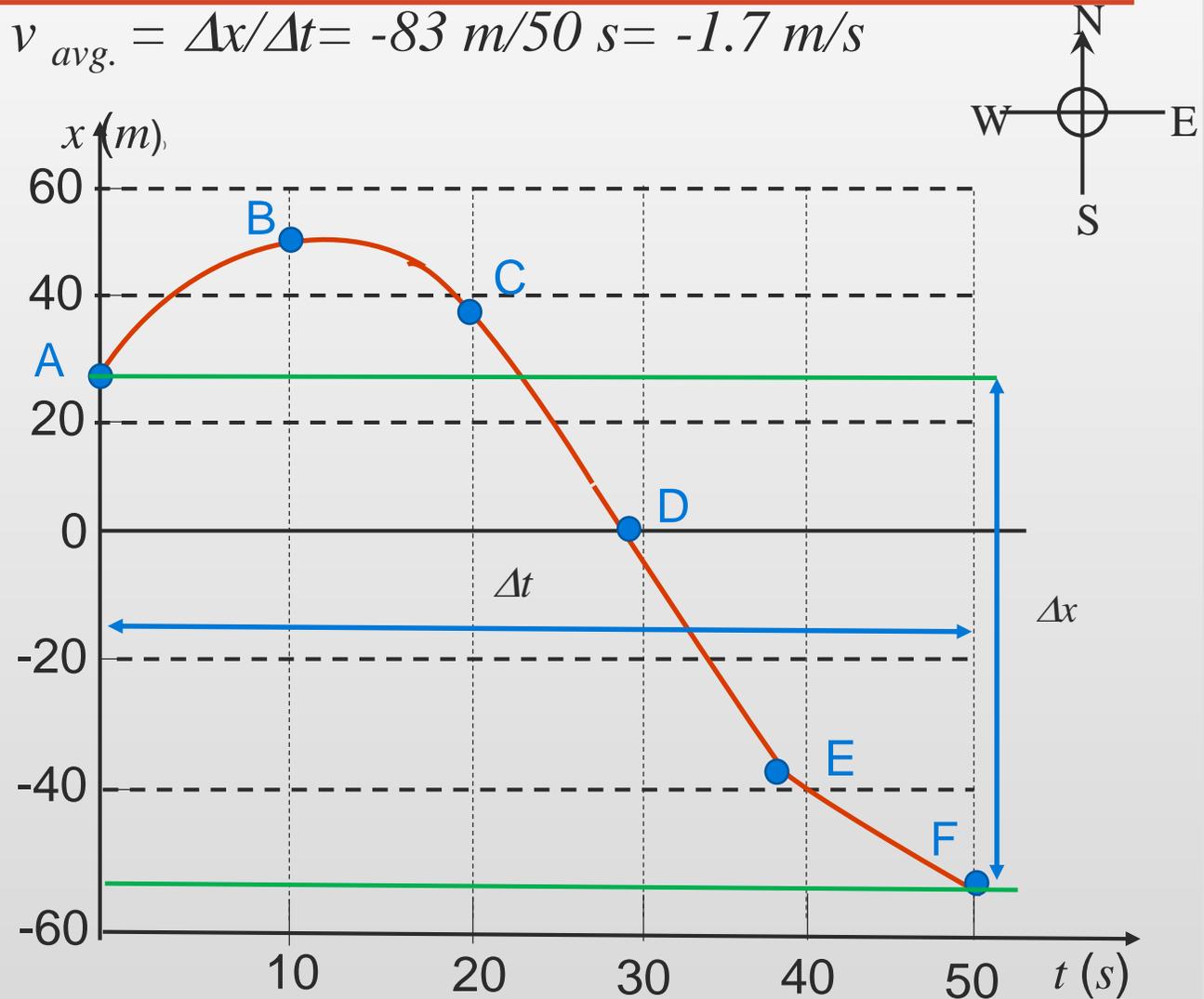
Solution:

(b) $\Delta t = t_F - t_A = 50 - 0 = 50 \text{ s}$ ➔

$v_{avg.} = \Delta x / \Delta t = -83 \text{ m} / 50 \text{ s} = -1.7 \text{ m/s}$

i.e. Magnitude of $v_{avg.}$ is **1.7 m/s** and its direction is due west

Position	$t \text{ (s)}$	$x \text{ (m)}$
A	0	30
B	10	52
C	20	38
D	30	0
E	40	-37
F	50	-53



Note: The average velocity between any two positions for a given time interval is a vector quantity that has a magnitude and direction

One Dimensional Motion:

Conceptual Question

If the average velocity of an object is zero in some time interval. Which of the following statements is correct?

- (a) The displacement is constant
- (b) The initial and final positions are the same
- (c) The velocity is zero at each instant of the time interval
- (d) The answers in (a) and (b) are correct
- (e) The answers in (b) and (c) are correct

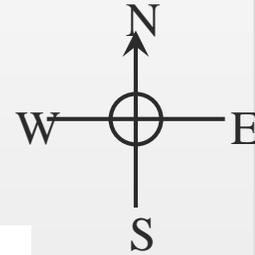
Finding Average speed

Position of a car at different times

Position	t (s)	x (m)
A	0	30
B	10	52
C	20	38
D	30	0
E	40	-37
F	50	-53

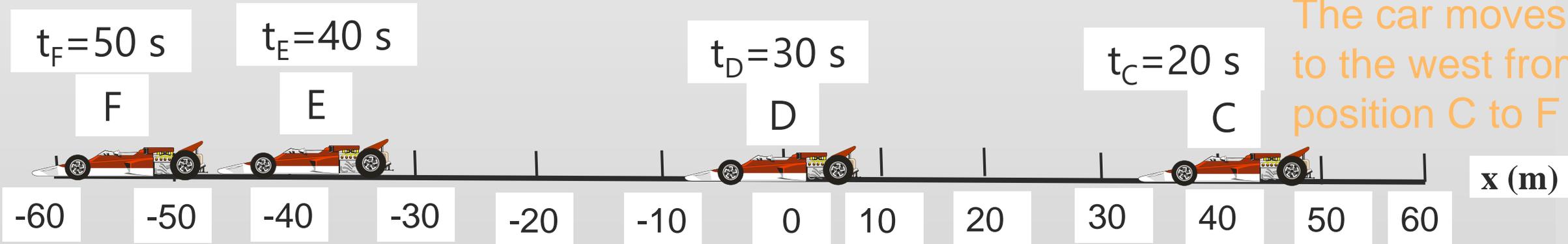
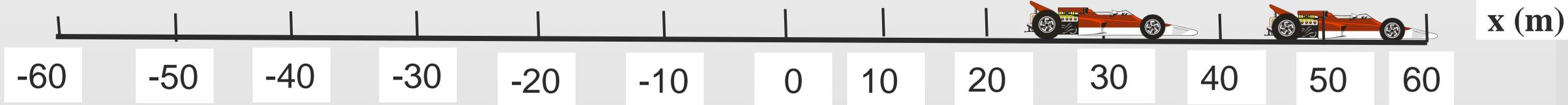
Example

The car moves to the east from position A to B



$t_A = 0$
A

$t_B = 10$ s
B



The car moves to the west from position C to F

$t_F = 50$ s
F

$t_E = 40$ s
E

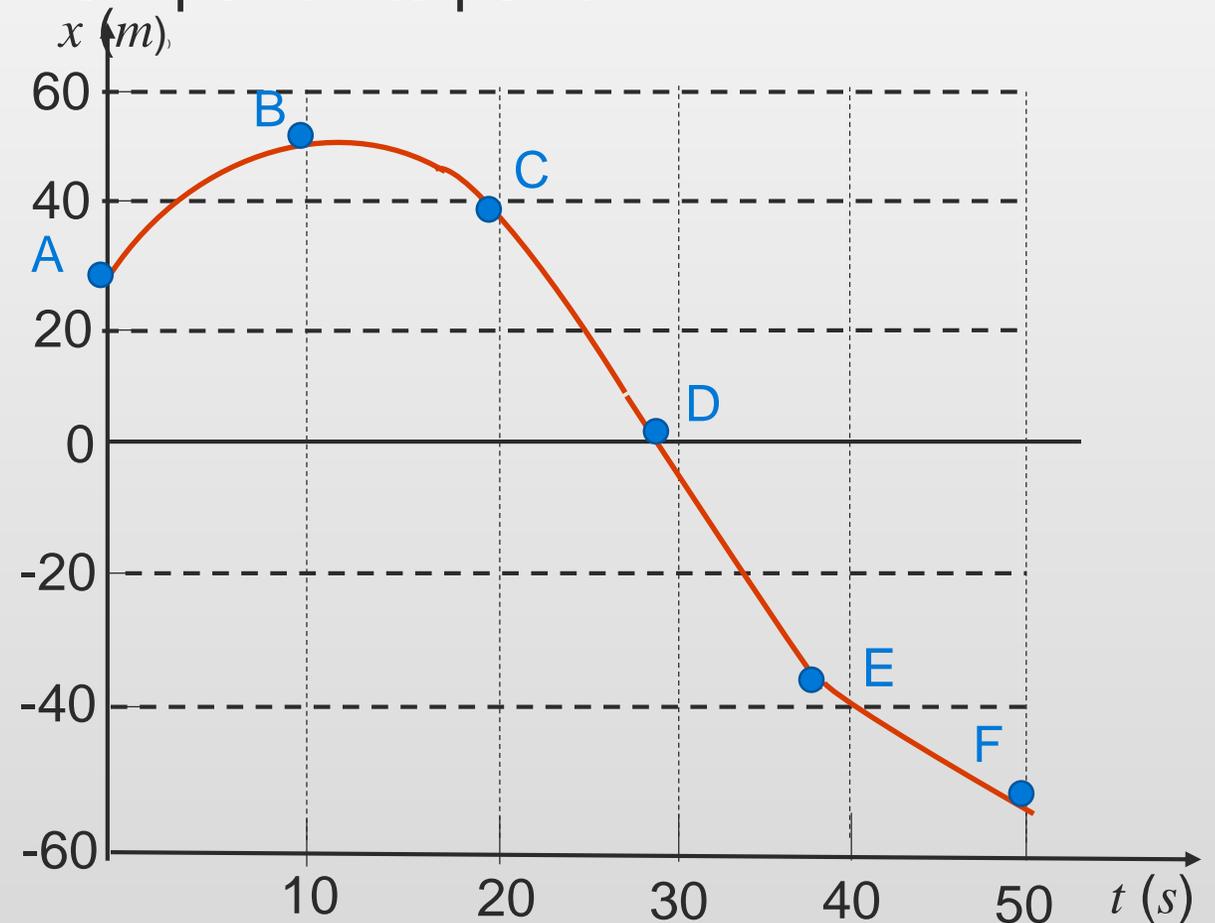
$t_D = 30$ s
D

$t_C = 20$ s
C

Finding Distance and Average Speed

- (a) Find the distance from point A to point F.
 (b) Find the average speed as car moves from point A to point F.

Position	t (s)	x (m)
A	0	30
B	10	52
C	20	38
D	30	0
E	40	-37
F	50	-53



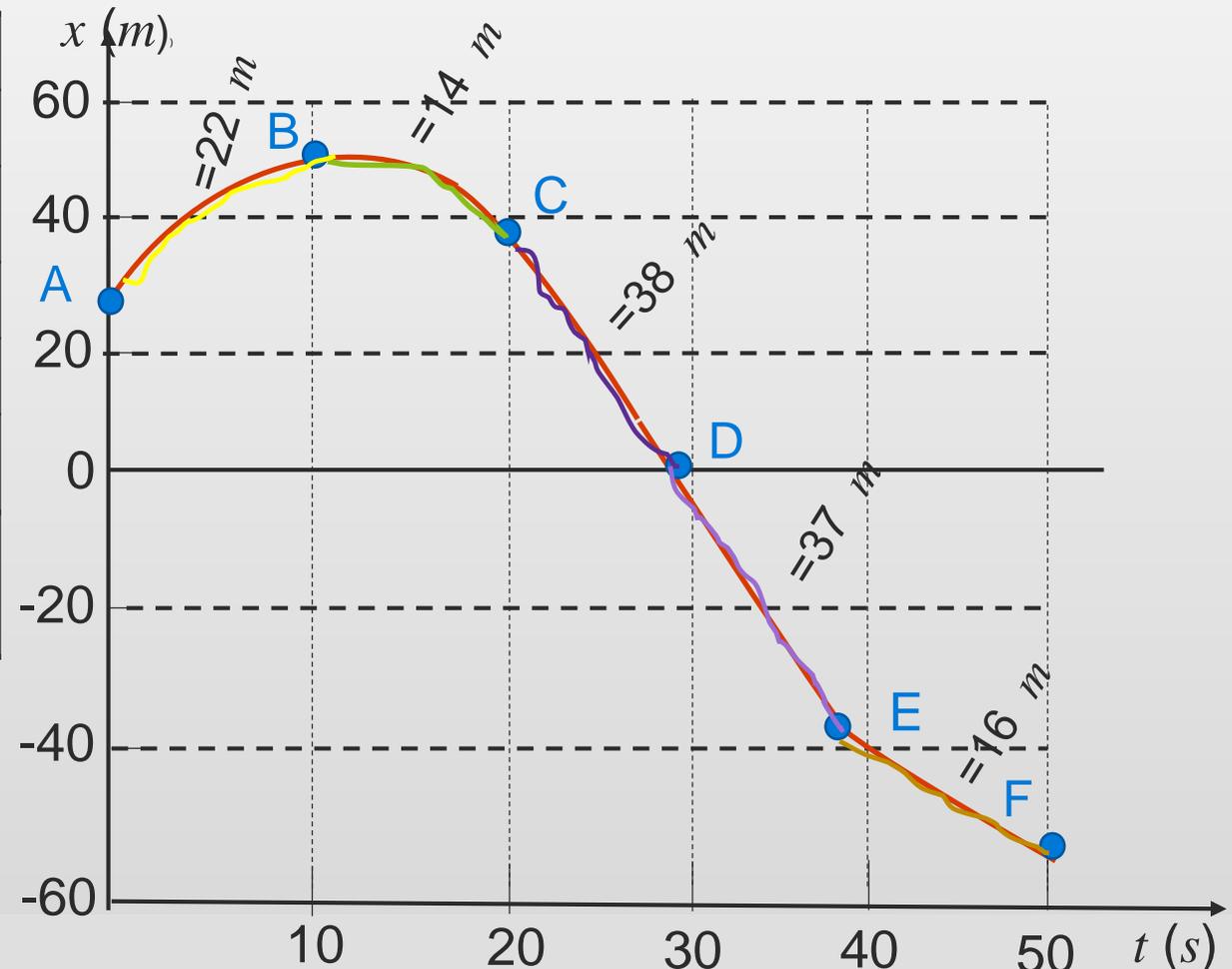
Finding Distance and Average Speed

Solution:

(a) The distance from point A to point F is the sum of distances shown in the figure

$$= 22 + 14 + 38 + 37 + 16 = 127 \text{ m}$$

Position	t (s)	x (m)	distance ,m
A	0	30	
B	10	52	AB=22
C	20	38	BC=14
D	30	0	CD=38
E	40	-37	DE=37
F	50	-53	EF=16



Note: The total distance from A to F (127 m) is different from the magnitude of displacement (83 m) from A to F. This is because the latter represents the shortest distance (straight line) between A and F.

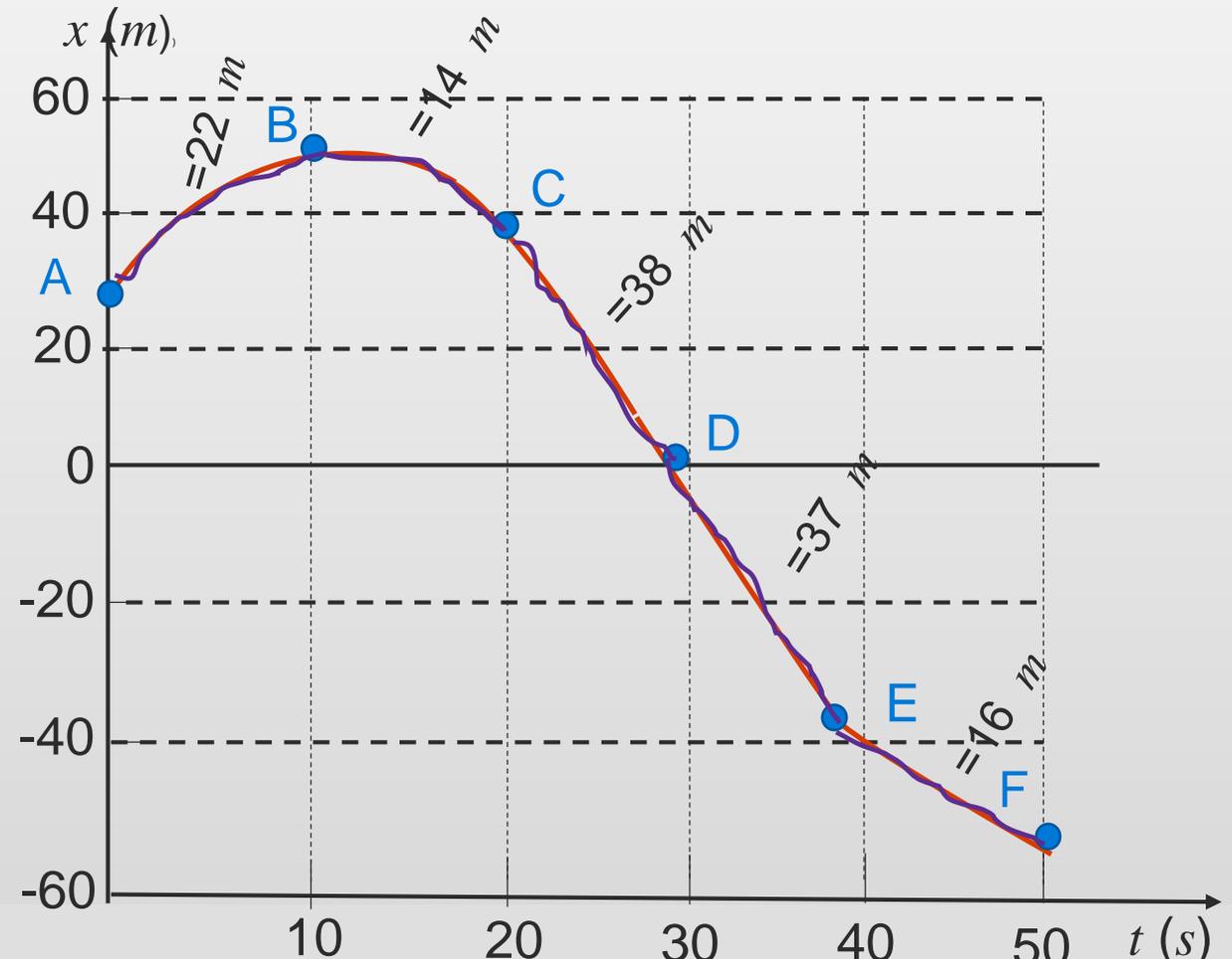
Finding Distance and Average Speed

Solution:

(b) The average speed from point A to point F is total distance (127 m) divided by the total time interval needed to travel this distance (50 s)

$$= 127 \text{ m} / 50 \text{ s} = 2.5 \text{ m/s}$$

Position	t (s)	x (m)
A	0	30
B	10	52
C	20	38
D	30	0
E	40	-37
F	50	-53



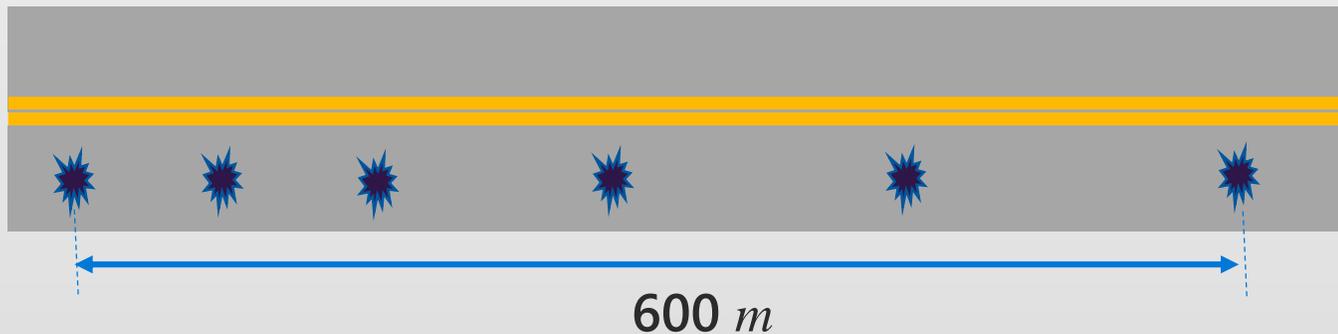
Note: The average speed between any two positions for a given time interval is a scalar quantity that has a magnitude **ONLY**.

One Dimensional Motion:

Objective Question

One drop of oil falls down onto the road from the engine of a moving car every 5 s. The figure shows the pattern of the drops left behind on the pavement. What is the average speed of the car over this part of its motion?

- (a) 20 m/s
- (b) 24 m/s**
- (c) 30 m/s
- (d) 100 m/s
- (e) 120 m/s



One Dimensional Motion:

Objective Question

A car travels from point A to point B a distance of 1500 m and then comes back to point A in a trip with time interval of 250 s. The average speed and average velocity of the car have the values

- (a) zero and 6 m/s , respectively,
- (b) 12 m/s and zero, respectively
- (c) 12 m/s and 6 m/s , respectively.
- (d) Zero and 12 m/s , respectively.
- (e) 6 m/s and 12 m/s , respectively.